

# **High Performance Computing**

## **1<sup>st</sup> presentation**

*2017/10/03*

*Kazuaki Matsumura (M1)*

# Selected Paper

- Scalable Training of Deep Learning Machines by Incremental Block Training with Intra-block Parallel Optimization and Blockwise Model-Update Filtering (ICASSP-2016)

- Kai Chen \*

- Qiang Huo \*

(\*) Microsoft

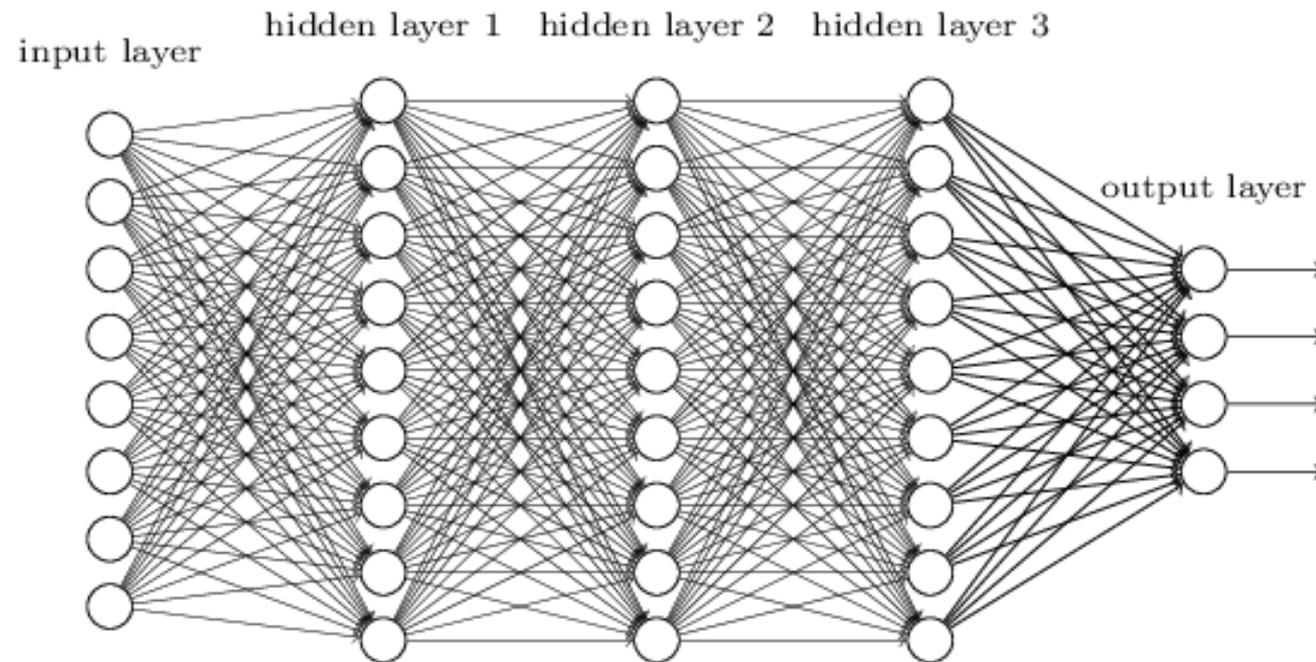
# Outline

1. Introduction
2. Related Work
3. Proposed Algorithm
4. Experiments and Result
5. Conclusion

# Introduction

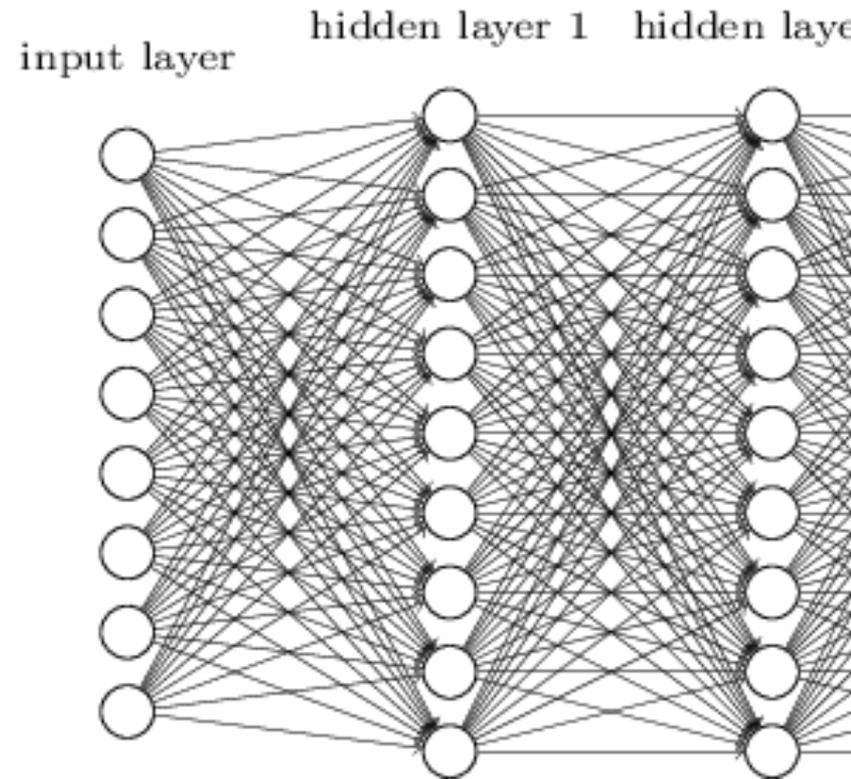
# Introduction

The computation of neural networks is conducted as propagations of *activations*



# Propagation

- Each layer has weights
- Each layer computes the output (called *activation*) using an activation from its previous layer
- The final layer (output layer)'s activation becomes a result of the computation of the neural network



# Propagation

(For each layer)

Input :

$$\mathbf{x} = [x_1, \dots, x_n]^T$$

Weight matrix :

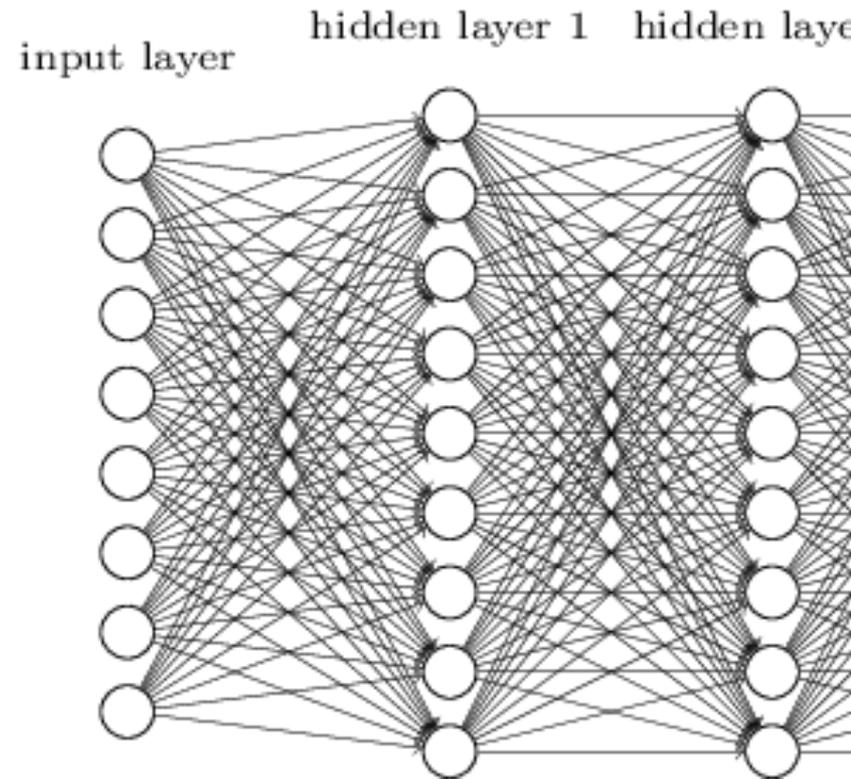
$\mathbf{W}$

Activation function:

$a$

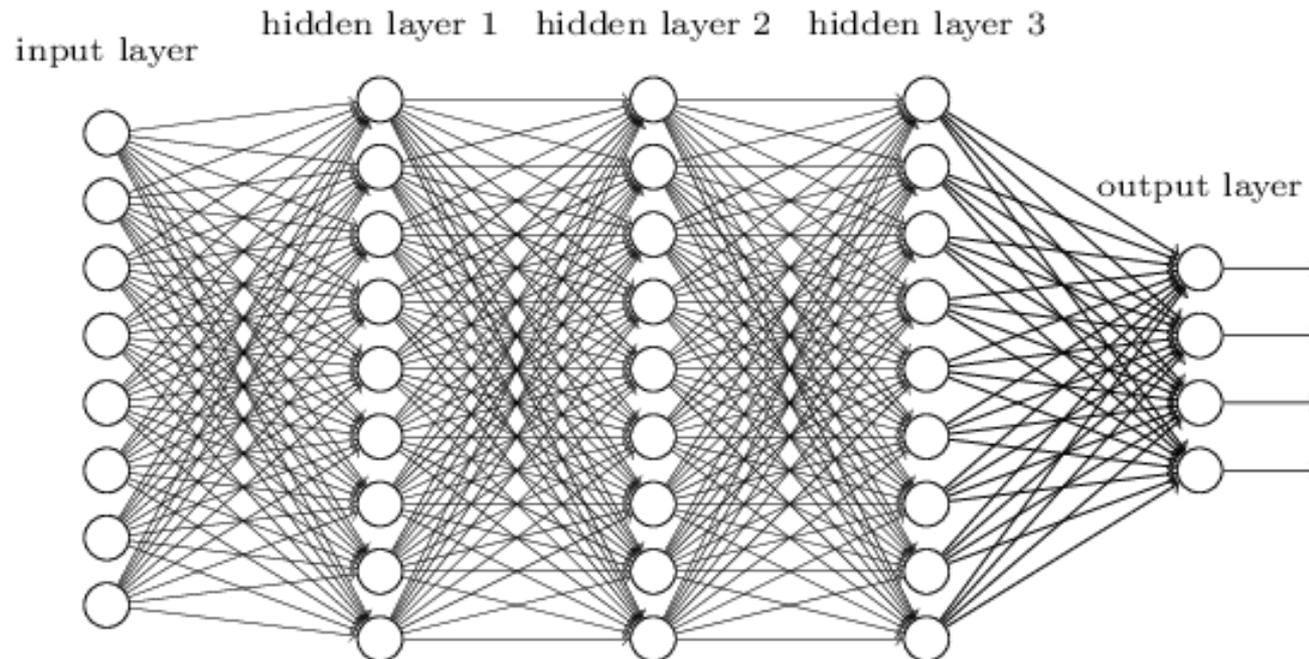
Output:

$$a(\mathbf{W}^T \mathbf{x})$$



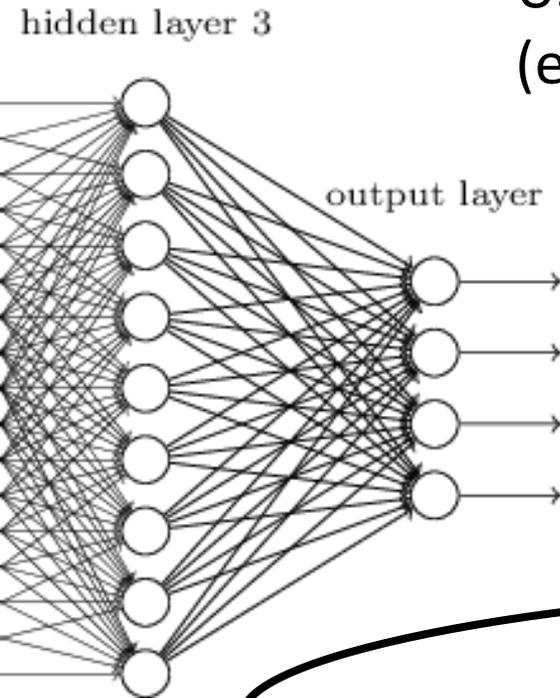
# Back Propagation

In order to get appropriate outputs, back propagation is usually used to update parameters (weights in this context)



# Back Propagation

Use gradient descent to minimize a loss function  $L$  (e.g. square error of result and training data) :



(For each layer)

Update output layer's parameter:

$$v = \frac{\partial L}{\partial W^t} \quad (\text{gradient})$$

---

$$W^{t+1} = W^t - \tau v$$

( $t$  : time-step,  $\tau$  : learning rate)

This can be calculated using the previous layer's result which is back propagated

# Background

- ❑ Repeating propagation and back-propagation takes many hours until quite good results can be achieved from the network (this entire flow is called *training*)
- ❑ To reduce this cost while keeping the accuracy, many models and methods have been proposed
  - Distributed Training (TODAY's TOPIC)
  - SqueezeNet
  - Binarized neural network
  - Model distillation
  - ...

# SGD

## □ SGD (Stochastic Gradient Descent method) :

An optimization method to train models

- Many methods are based on SGD
- In basic way, parameters  $\mathbf{W}^{t+1}$  are updated after calculating gradients  $v = \frac{\partial L}{\partial \mathbf{W}^t}$  for all training data
- In SGD, parameters are updated, after calculating gradients for dozens ~ hundreds training data (this collection is called a *mini-batch* )
- If the training data are redundant, this method effectively works to train faster

# Momentum SGD

□ SGD:

$$v = \frac{\partial L}{\partial W^t}$$

$$W^{t+1} = W^t - \tau v$$

□ Momentum SGD: To stabilize the change, use momentum term

$$v^t = \mu v^{t-1} + \frac{\partial L}{\partial W^t}$$

$$W^{t+1} = W^t - \tau v$$

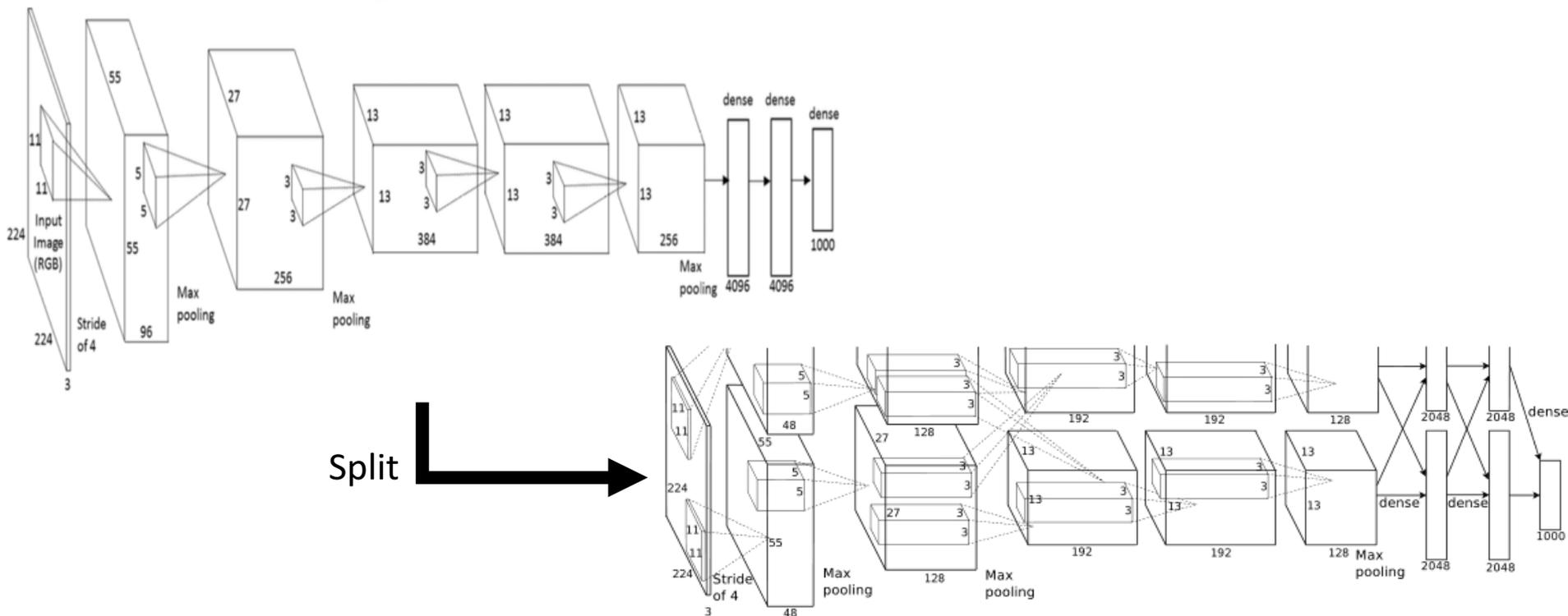
( $t$  : time-step,  $\tau$  : learning rate,  $\mu$  : momentum)

# Distributed Training

## □ How parallelize training?

### ➤ Model parallel

- Split the model (network), then calculate in parallel (e.g. AlexNet)



# Distributed Training

## □ How parallelize training?

### ➤ Data parallel

- Calculate gradients of a mini-batch in parallel
- This way is more scalable than model parallel
- But there is a bottleneck which is obstructing scale out:

### Aggregating gradients from each worker

- Waiting other workers
- Broadcasting gradients

# **Related Work**

# Asynchronous SGD

- ❑ DistBelief by Google can utilize computing clusters with ASGD
  - Computing clusters with thousands of machines
  - *ASGD* (asynchronous SGD) is another version of SGD which updates parameters without waiting other gradient calculations
  - However there is no comparison with the standard mini-batch SGD, therefore it is not clear yet whether “ASGD in DistBelief” incurs any loss of recognition accuracy
- ❑ [27] achieves a 3.2 times speedup on 4 GPUs than on 1 GPU without the degradation of recognition accuracy

# Model Averaging (MA)

1. Solve the learning problem independently on each worker using the portion of data stored on that worker
  2. Average the independent local solutions to obtain a global solution
    - The communication size is much smaller than single SGD
- Although almost linear speedup can be achieved in terms of the throughput of processing training data, this approach incurs recognition accuracy degradation compared with single-worker scheme, especially when the number of workers increases

# 1-bit quantization

- ❑ Compress gradients aggressively to reduce significantly data-exchange bandwidth
- ❑ Each gradient are represented in 1-bit form
- ❑ [23] achieves 6.9 times speedup with 20 GPUs than on a single GPU with little degradation of recognition accuracy

# Proposed Algorithm

# Block Momentum SGD

- ❑ An optimization method like a combination of
  - Model averaging
  - Momentum SGD
- ❑ This introduces learning rate and momentum to model averaging
- ❑ This method can be applied to several types neural networks ( CNN, LSTM, ... )

# (BM-SGD) Data Partition

Full training set :  $\mathbf{D} = \{\mathbf{D}_j \mid j = 1, 2, \dots, M\}$

$$\mathbf{D}_j = \{\mathbf{D}_{j,k} \mid k = 1, 2, \dots, N\}$$

for  $\forall j, k, l, m \quad \mathbf{D}_{j,k} \cap \mathbf{D}_{l,m} = \emptyset$

partition configuration as  $N \times M$

# (BM-SGD) Intra-block Parallel Optimization

1. Broadcast a global model  $\mathbf{W}_g(t-1)$  to  $N$  workers (e.g., GPU cards in a GPU cluster)
  2. Select randomly a block of unprocessed data denoted as  $\mathbf{D}_t$
  3. Distribute  $N$  splits of this block to  $N$  workers
  4. Each worker run in parallel to optimize local models with its portion of data
  5. Obtain aggregated model denoted as  $\bar{\mathbf{W}}(t)$  by averaging  $N$  optimized local models
- The intra-block optimization can be conducted with different parallel algorithms. (In this paper, 1-sweep mini-batch SGD with classical momentum trick)

# (BM-SGD) Blockwise Model-Update Filtering

After intra-block parallel optimization is completed, global model need be updated

- This is treated as a block-level stochastic optimization process
- To stabilize the learning process,  
Blockwise Model-Update Filtering (BMUF) will be introduced

# (BM-SGD) Blockwise Model-Update Filtering

1. Calculate  $\mathbf{G}(t) = \bar{\mathbf{W}}(t) - \mathbf{W}_g(t-1)$
2. Calculate  $\Delta(t) = \eta_t \Delta(t-1) + \zeta_t \mathbf{G}(t)$
3. Update a temporal model  $\mathbf{W}(t) = \mathbf{W}(t-1) + \Delta(t)$

4. Update the global model:

With a classical momentum scheme :  $\mathbf{W}_g(t) = \mathbf{W}(t)$

With a Nesterov momentum scheme:  $\mathbf{W}_g(t) = \mathbf{W}(t) + \eta_{t+1} \Delta(t)$   
(momentum with acceleration)

Hereinafter referred to CBM, NBM, respectively

(  $\eta_t$  : *block momentum*,  $\zeta_t$  : *block learning rate* )

- When  $\eta_t = 0$  and  $\zeta_t = 1$ , this procedure becomes Model averaging.

# (BM-SGD) Blockwise Model-Update Filtering

1.

2. Calculate

$$\Delta(t) = \eta_t \Delta(t - 1) + \zeta_t \mathbf{G}(t)$$

3.

4.

If  $\mathbf{G}(t)$  is small, it is canceled by  $\Delta(t - 1)$   
(so called *Filtering*)

# Contribution of the $i$ th mini-batch (SGD)

Assume the initial parameter and the final parameter of mini-batch SGD optimized model is  $\mathbf{W}_0, \mathbf{W}_s$ , respectively.

The contribution of the  $i$  th mini-batch to  $\Delta_s = \mathbf{W}_s - \mathbf{W}_0$  is

$$\delta_s^{(i)} = \gamma_s g_s^{(i)} (1 + \epsilon_s + \epsilon_s^2 + \dots) \approx \frac{\gamma_s}{1 - \epsilon_s} g_s^{(i)}$$

(  $\gamma_s$  : learning rate,  $\epsilon_s$  : momentum,  $g_s^{(i)}$  : gradient of  $i$  th mini-batch )

# Contribution of the $i$ th mini-batch (MA)

$$\begin{aligned}\delta_m^{(i)} &= \frac{1}{N} \gamma_m g_m^{(i)} (1 + \epsilon_m + \epsilon_m^2 + \dots + \epsilon_m^{\tau-i}) \\ &\approx \frac{1}{N} \cdot \frac{\gamma_m (1 - \epsilon_m^{\tau-i+1})}{1 - \epsilon_m} g_m^{(i)}\end{aligned}$$

(  $\tau$  : size of mini-batch

$\gamma_m$  : learning rate,  $\epsilon_m$  : momentum,  $g_m^{(i)}$  : gradient of  $i$  th mini-batch )

- $\tau$  is always set to be a relatively small value to avoid divergence of local model
- the  $i$  th mini-batch have not direct influence in successive training

# Contribution of the $i$ th mini-batch (BM-SGD)

$$\begin{aligned}\delta_b^{(i)} &\approx \frac{1}{N} \cdot \frac{\gamma_b (1 - \epsilon_b^{\tau-i+1})}{1 - \epsilon_b} g_b^{(i)} \zeta (1 + \eta + \eta^2 + \dots) \\ &\approx \frac{\zeta}{N (1 - \eta)} \cdot \frac{\gamma_b (1 - \epsilon_b^{\tau-i+1})}{1 - \epsilon_b} g_b^{(i)}\end{aligned}$$

( $\tau$  : size of mini-batch  $\eta_t$  : block momentum,  $\zeta_t$  : block learning rate,  
 $\gamma_b$  : learning rate,  $\epsilon_b$  : momentum,  $g_b^{(i)}$  : gradient of  $i$  th mini-batch)

- Set the values of  $\eta_t$  and  $\zeta_t$ , where  $C = \frac{\zeta}{N(1-\eta)}$  is a constant slightly larger than 1 to keep noisy component's influence in successive training

# Experiments and Result

# Implementation

- ❑ Implemented on an HPC GPU cluster with multiple computing nodes, each equipped with 2-8 Nvidia Tesla K40xm GPUs
  - A 56 Gbps private InfiniBand network is configured to connect all GPU nodes
  - The GPU cluster is connected to a shared storage with Hadoop Distributed File System (HDFS) via several spine switches
  - The total throughput of the spine switches
    - to HDFS: 8 Tbps
    - to HPC GPU cluster : 320 Gbps

# Implementation

- ❑ MPI-base HPC machine learning platform is used to coordinate parallel job scheduling and collective communication
  - It implements a master-slave model among computing nodes
  - The master is responsible for
    - job scheduling
    - load balancing
    - BMUF
    - global model update
  - The peer to peer and collective communications among master and slaves are very efficient through MPI

# Implementation

- ❑ To reduce the overhead of job scheduling
  - Each worker is sent its subset of training data before training
  - During Training, on each worker, next split will be loaded to memory when the current split is being processed to hide data-loading cost
  - In practice, the data size is the size of mini-batch which is processed by each worker.

# Benchmark

- ❑ Two LVSCR benchmark
  1. Switchboard-I conversational telephone speech transcription task
    - Contains about 309 hours of training speech
    - referred to as “SWB task”
  - Train DBLSTM as acoustic model
    - 5 hidden layers
    - Each containing 512 memory blocks
    - 512 memory blocks (256 for forward and 256 for backward states), and 9,304 HMM tied-states as output classes, resulting to about 11 million free parameters.

# Benchmark

- ❑ Two LVSCR benchmark

1. Switchboard-I conversational telephone speech transcription task

- Train DBLSTM as acoustic model
  - Both epoch-wise BPTT and context-sensitive-chunk (CSC) BPTT are used to train.
  - “In CSC-BPTT training, each utterance is partitioned into CSCs of 64 frames long with 21 past and 21 future frames appended as context, which is denoted as “21-64+21”, while a 32-frame overlap is used in decoding.”

# Benchmark

- Two LVSCR benchmark
- 2. Switchboard-I corpus and Fisher English corpus (part1 and part2)
  - Contains about 1,860-hour training speech data
  - referred to as “SWB+Fisher task”
  - Train DNN (fully-connected feed-forward) as acoustic model
    - Has 11 consecutive frames of feature vectors as input
    - 7 hidden layers with 2,048 ReLUs per layer
    - 18,002 HMM tied-states as output classes
    - Resulting to about 63 million free paramters
    - L2 constraint is used for regularization

# Benchmark

- ❑ Eval200 about 2 hours of speeches, and RT03S about 6.3 hours of speeches are used as testing sets
- ❑ Word error rate (WER) is used as performance metric
- ❑ For both task, 30 hours of speech are selected as validation set
  - In DBLSTM training, validation set is evaluated every sweep of data
  - In DNN training, it is evaluated every 600 hours of data

# Benchmark

- ❑ Learning rates are carefully tuned for all training configurations
- ❑ The one leading to the best validation set performance is chosen to decode testing sets
- ❑ In order to make fair comparison, all methods start from the same initial model and process the training set for the same number of sweeps
  - For DBLSTM, initial model is obtained by 1-sweep SGD with respective algorithms and the training set is processed for 6 sweeps
  - For DNN, initial model is obtained by 1-sweep SGD of 309 hours of data and the training set is processed for 5 sweeps
- ❑ BM  $\eta_t$  is set as 0.9, 0.94, 0.97 and 0.986 in 8-, 16-, 32-, 64-GPU experiments respectively and BLR  $\zeta_t$  is always set as 1.0

# SWB task

- ❑ The partition configurations are “8 x 104” and “16 x 512”
  - About 22.5 minutes of speech per split
- ❑ The number of GPUs equal to the split number per block (8, 16)
- ❑ MA and BMUF achieve linear speed up in terms of the throughput of processing data
- ❑ NBM performs better than CBM

**Table 1.** Performance (in %) comparison and training speedups of DBLSTMs trained by CSC-BPTT with SGD, MA and BMUF approach on “SWB task”.

Training Method	Partition Config.	WER (%)		Training Speedup
		Eval2000	RT03S	
MA	8 × 104	15.4	22.9	7.7
	16 × 52	16.0	23.4	15.3
BMUF -CBM	8 × 104	14.7	22.7	7.7
	16 × 52	15.0	22.7	15.3
BMUF -NBM	8 × 104	14.9	22.3	7.7
	16 × 52	14.8	22.4	15.3
Single-GPU SGD Baseline		14.8	22.9	1.0

**Table 2.** Performance (in %) comparison and training speedups of DBLSTMs trained by epoch-wise BPTT with SGD, MA and BMUF approach on “SWB task”.

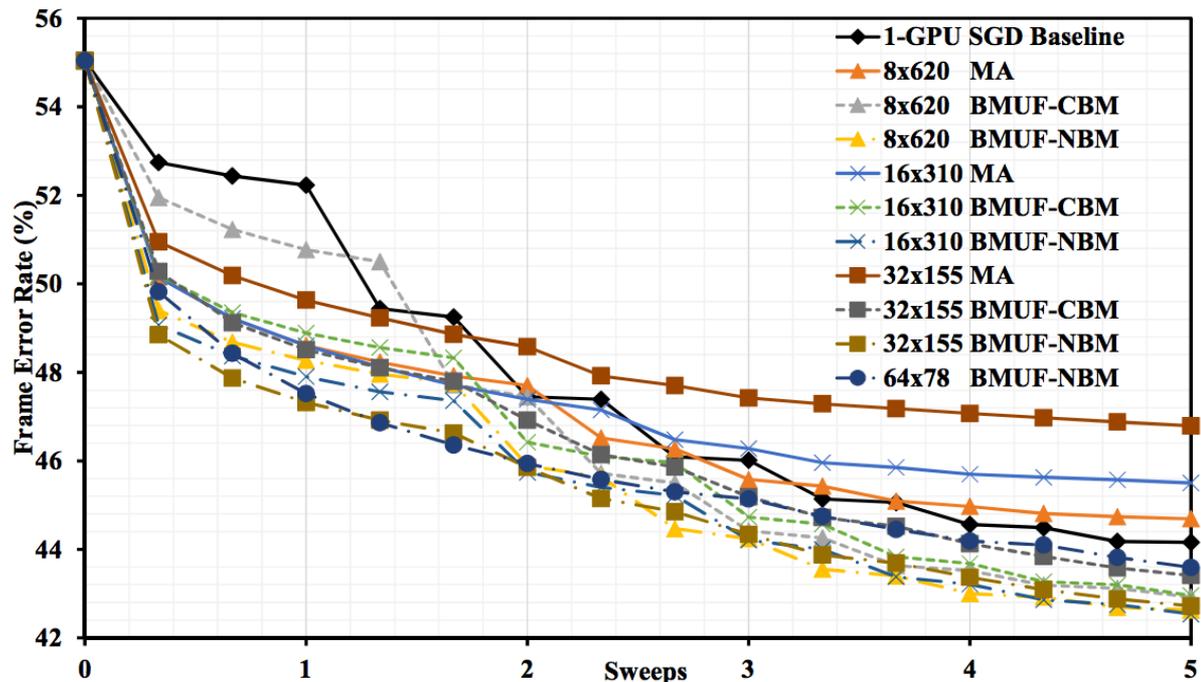
Training Method	Partition Config.	WER (%)		Training Speedup
		Eval2000	RT03S	
MA	8 × 104	15.6	23.5	7.9
	16 × 52	16.2	24.0	15.8
BMUF -CBM	8 × 104	14.7	23.1	7.9
	16 × 52	14.8	23.4	15.8
BMUF -NBM	8 × 104	14.5	22.8	7.9
	16 × 52	14.3	23.0	15.8
Single-GPU SGD Baseline		14.8	22.9	1.0

# SWB + Fisher task

- ❑ Data set is partitioned at frame level
- ❑ The partition configurations are “8 x 620”, “16 x 310”, “32 x 155” and “64 x 78” (about 22.5 minutes per split)
- ❑ The number of GPUs equal to the split number per block (8, 16, 32, 64)

# SWB + Fisher task

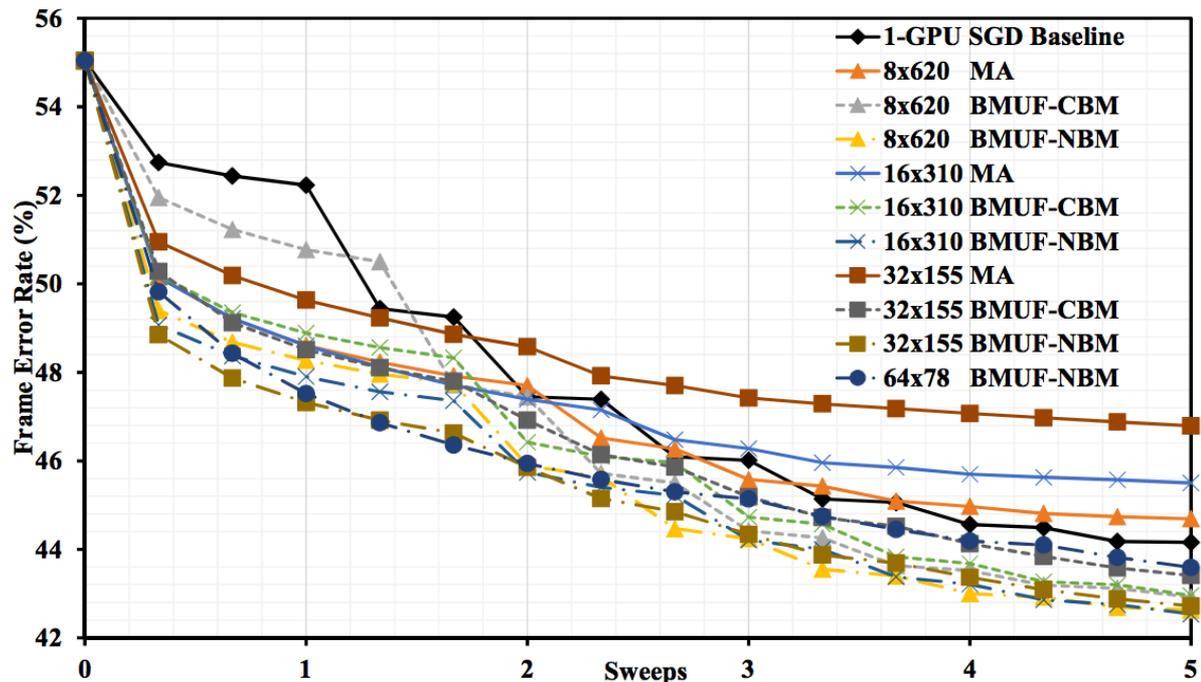
- Data set is partitioned at frame level
- The partition configurations are “8 x 620”, “16 x 310”, “32 x 155” and “64 x 78” (about 22.5 minutes per split)



**Fig. 1.** Learning curves of FER on validation set with different methods and data partition configurations for DNN training.

# SWB + Fisher task

- NBM learns faster, but converges to better solutions than CBM
  - NPB experiments with 8-32 GPUS converge to almost the same FER (Frame Error Rate)



**Fig. 1.** Learning curves of FER on validation set with different methods and data partition configurations for DNN training.

# SWB + Fisher task

- ❑ BMUF approaches achieve about 5.0% and 5.3% relative WER reductions from MA on Eval2000 and RT03S, respectively
- ❑ NBM performs better than CBM
- ❑ And BMUF achieved a linear speedup.

**Table 3.** Performance (in %) comparison and training speedups of DNNs trained by single-GPU SGD, MA and BMUF approach on “SWB+Fisher task”.

Training Method	Partition Config.	WER (%)		Training Speedup
		Eval2000	RT03S	
MA	8 × 620	14.2	18.8	7.3
	16 × 310	14.8	19.3	14.5
	32 × 155	15.5	19.9	28.7
BMUF -CBM	8 × 620	13.4	18.0	7.3
	16 × 310	13.4	18.1	14.4
	32 × 155	13.5	18.2	28.4
BMUF -NBM	8 × 620	13.3	17.8	7.3
	16 × 310	13.4	17.9	14.4
	32 × 155	13.4	17.9	28.4
	64 × 78	13.6	18.1	56.2
Single-GPU SGD Baseline		14.0	18.8	1.0

**Table 4.** Elapsed time (in minutes) per sweep of 1,860-hour training data in DNN training with different optimization methods.

Training Method	Partition Config.	Elapsed Time (minutes)			
		optimize	aggregate	validate	SUM
MA	8 × 620	320.1	16.5	2.8	339.4
	16 × 310	159.9	10.3	1.4	171.6
	32 × 155	81.0	4.7	0.7	86.4
BMUF -CBM	8 × 620	320.1	17.2	2.8	340.1
	16 × 310	159.5	11.3	1.4	172.2
	32 × 155	81.6	5.0	0.7	87.3
BMUF -NBM	8 × 620	319.8	17.4	2.8	340.0
	16 × 310	159.6	11.9	1.4	172.9
	32 × 155	81.5	5.2	0.7	87.4
	64 × 78	40.3	3.5	0.4	44.2
Single-GPU SGD Baseline		2460.6	N/A	22.5	2483.1

# Conclusion

# Conclusion

- ❑ The proposed BMUF approach can indeed scale out deep learning on a GPU cluster with almost linear speed up and improved or no-degradation of recognition accuracy compared with mini-batch SGD on single GPU
- ❑ In addition to the verified cases for DBLSTM and DNN training on LVCSR tasks, we have also verified its effectiveness up to 16 GPUs for CTC-training of DBLSTM on a handwriting OCR task using about one million training text line images.
- ❑ Future work
  - Convolutional neural networks
  - More GPUs
  - More better approach